

B1 Inhomogeneity Reduction with Transmit SENSE

V. Andrew Stenger^{1,2}, Suwit Saekho², Zhengui Zhang², Shuang Yu¹, and Fernando E. Boada^{1,2}

¹Department of Radiology, University of Pittsburgh, USA

²Department of Bioengineering, University of Pittsburgh, USA

INTRODUCTION:

Parallel imaging is an effective means of reducing acquisition k -space trajectories [1,2]. The same concepts have recently been demonstrated for reducing tailored RF pulse lengths using parallel transmitters [3,4]. Reduction of pulse lengths allows for practical implementations of multi-dimensional RF pulses. This paper presents 3D RF pulses for reducing B1 artifacts at 3T [5,6] and Bloch equation simulations of corresponding R=2 transmit SENSE pulses.

METHODS:

A slice $M(\mathbf{r})$ can be found for small tip angles using

$$M(\mathbf{r}) = \int C(\mathbf{r})B_1(t)e^{-i\mathbf{k}(t)\cdot\mathbf{r}} d\mathbf{r}, \text{ where } \mathbf{k}(t) = -\gamma \int \mathbf{G}(s)ds.$$

$B_1(t)$ is the RF pulse, $\mathbf{G}(t)$ are gradients that create k -space $\mathbf{k}(t)$, and $C(\mathbf{r})$ is the transmitter sensitivity. In matrix form, the pulse \mathbf{b} can be determined by solving:

$$\mathbf{m} = \mathbf{C}\mathbf{b}.$$

The approximate \mathbf{b} can be found from the “least squares” difference. Artifact reduction is accomplished by finding a $B_1(t)$ that excites an $M(\mathbf{r})$ tailored with a map or an approximate analytical function of the B1 inhomogeneity.

We designed two-shot (full k -space) and single-shot R=2 SENSE 3D RF pulses to reduce B1 inhomogeneity at 3T. The RF k -space was a spiral stack, slice thickness was 10 cm, pulse length 6.2 ms, and 45° flip angle. The full k -space pulses were demonstrated *in vivo* using measured B1 maps and a 128 phase-encode 3D acquisition.

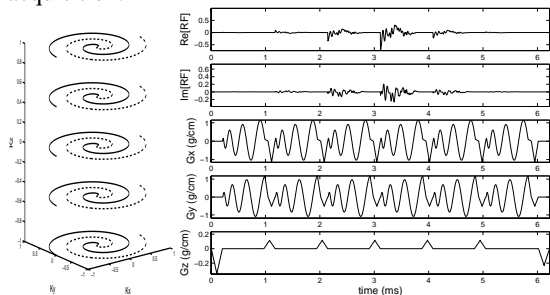


Figure 1: Stack of spirals k -space trajectory (left) and R=2 transmit SENSE 3D RF pulse (right). Each shot of the full k -space pulses looked similar.

The corresponding SENSE pulses were designed using sensitivity maps measured from a four-array receiver and the conjugate gradient least squares method (no regularization or conditioning). The pulses were simulated in the Bloch equations numerically. $M(\mathbf{r})$ was approximated as the difference between two Gaussians:

$$M(r) = \exp(-\pi r^2 / a^2) - \alpha \exp(-\pi r^2 / b^2).$$

Here a and b are the radii of the imaged object and the inhomogeneous region, respectively, and α parameterizes the degree of inhomogeneity.

RESULTS:

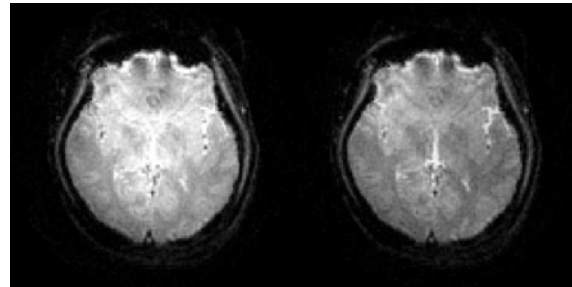


Figure 2: Head coil images at 3T using a standard RF pulse (left) and B1 inhomogeneity compensated full k -space two-shot RF pulse (right). Note the flatter profile in the right image.

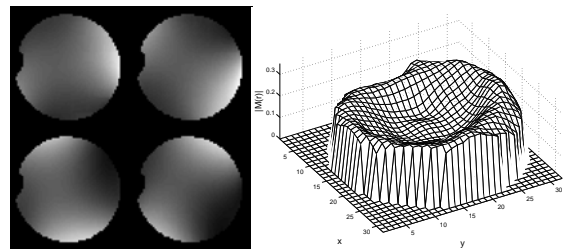


Figure 3: Sensitivity maps measured from array coil (left). Numerical simulation of inhomogeneity compensated $M(\mathbf{r})$ from R=2 SENSE pulse. Note the increased magnitude on the edges to compensate for the loss of signal.

DISCUSSION:

We propose transmit SENSE for reduced B1 inhomogeneity artifacts. A single pulse of 6.2 ms should be adequate in the brain over a 10 cm slab at 3T using a standard head coil. Implementation of transmit SENSE is being pursued but is hampered by lack of hardware.

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